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Movement of Variable Flow Flux Along the Path in a Closed Inclined Pipeline

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Annotation: *This article discusses a variable flow rate flow along a path in a closed horizontal pipeline taking into account slope and hydraulic resistance. Formulas are given that take into account the associated water inflow to the drainage pipes, as well as the amount of suspended particles that penetrate together with water through the slots of the drainage pipes.*

Keywords: *Hydraulics, flow, filtration, irrigation, flow movement, horizontal.*

Introduction

When solving a number of practical tasks, hydraulic equipment have to deal with flows variable flows along the path. Such tasks are observed in the study of filtering in irrigation channels, during water intake from the source, during design and operation, the count of the lecturers and drainage network, with drip irrigation, etc. [1-3].

The solution is higher than the specified tasks associated with the study of the flow of water flow with unsteadied flow. [4-6] This article discusses the movement of the flow of variable flows along the path in the closed horizontal pipeline, taking into account the slope and hydraulic resistance. The flow in a closed horizontal drainage is moving with an increase in the flow path due to the passing flow of water. The existing methods of hydraulic calculation of tubular drains are based on the constancy of the flow and do not take into account the passing inflow of water to drainage pipes, as well as the amount of suspended particles penetrating along with water through the gifts of drainage pipes. As the experience of operating the drainage system (in the Fergana region) shows, the effectiveness of their operation is very low and does not provide the necessary decrease in the level of groundwater (Fig. 1). [7-10].

From the point of view of the theory of filtration, the amount of fluid permeable in dretu is proportional to the pressure difference in the ground and in the drainage tube and it reaches

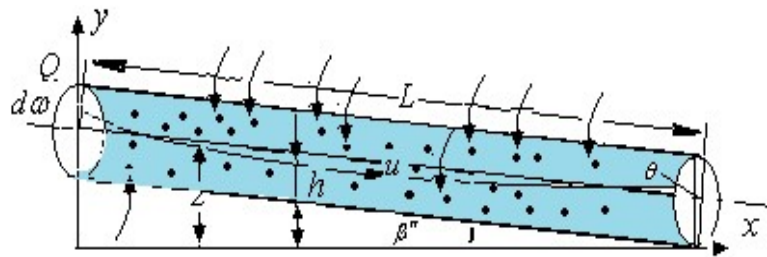


Fig.1. Closed horizontal drainage with variable flow.

The greatest value at the free movement of water in Drene [11]. From the hydraulics of the non-pressure movement, it is known that the largest throughput of the pipeline with the smallest pressure is achieved with the ratio of the depth of the water and the diameter of the pipe $H / D = 0.9$. The rational use of the drainage pipe is possible when satisfying this ratio.

This can be achieved by changing the diameter of the pipeline and the slope .

If the drainage bottom slope is not zero, then, denoting the angle of inclination of the bottom of the pipe to the horizon through α_1 , we have [12-14].

$$dz = dh + \sin \alpha_1 dx . \tag{1}$$

When the flow of consumption along the path is uniform, then the equality takes place:

$$\frac{Q}{Q_k} = \frac{x}{L} , \tag{2}$$

where L is the length of the pipeline; QK - end flow.

Taking advantage of the equality from (1) and (2), we get

$$dx = \frac{L}{Q_k} (\omega du + u d\omega), \quad dz = dh + \sin \alpha_1 \frac{L}{Q_k} (\omega du + u d\omega).$$

Applying the boundary condition (designations correspond to the designations of work [3])

$$u = u_0, \text{ when } \omega = \omega_0, \tag{3}$$

find

$$\frac{\alpha u^2}{g} = -\frac{1}{\omega} \int_{\omega_0}^{\omega} \omega dz.$$

Substituting Ω from the equations shown before (3), we have[5].

$$\frac{\alpha u^2}{g} = \frac{1}{\omega} \left[\int_h^{h_0} u dh + \sin \alpha_1 \frac{L}{Q_k} \int_{\theta_0}^{\theta} \omega \left(u \frac{d\omega}{d\theta} + \frac{du}{d\theta} \right) d\theta \right] \int_{\omega_0}^{\omega} dz . \tag{4}$$

The last formula after simple transformations will take the form

$$u^2 + \frac{gL\omega \sin \alpha_1}{2\alpha Q_k} + \frac{g}{\beta\omega} \left[\int_{\theta_0}^{\theta} u \frac{dh}{d\theta} d\theta + \sin \alpha_1 \frac{L}{Q_k} \int_{\theta_0}^{\theta} u \frac{d\omega}{d\theta} d\theta \right] = 0 \tag{5}$$

from here to find

$$u = -\frac{gL\omega \sin \alpha_1}{2\alpha Q_k} \pm \left[\left(\frac{gL\omega \sin \alpha_1}{2\alpha Q_k} \right)^2 - \frac{g}{\alpha\omega} \int_{\theta_0}^{\theta} u \frac{dh}{d\theta} d\theta - \sin \alpha_1 \frac{g}{\alpha\omega} \frac{L}{Q_k} \int_{\theta_0}^{\theta} u \frac{d\omega}{d\theta} d\theta \right]^{\frac{1}{2}}. \quad (6)$$

Thus, a nonlinear integrodifferential equation (6) was obtained. [6].

The solution to this equation will allow you to record the nature of the speed change.

The latter equation can be replaced by an ordinary nonlinear equation of type [7].

$$\frac{2\alpha}{g} u \frac{du}{d\theta} - \sin \alpha_1 \frac{L}{Q_k} \frac{r^2}{2} (\theta - \sin \theta) \frac{du}{d\theta} = -\frac{2\alpha}{g} \frac{1 - \cos \theta}{\theta - \sin \theta} u^2 + \sin \alpha_1 \frac{L}{Q_k} \frac{r^2}{2} (1 - \cos \theta) u - \frac{1}{2} \sin \theta \quad (7)$$

with boundary condition

$$u = 0 \text{ when } \theta = \theta_0. \quad (8)$$

We solve the last equation for the case of a small slope, then, according to [7],

$$u = u_0 + u', \quad (9)$$

where is the solution of the equation of the problem without taking into account the resistance and slope of the drainage; - Small value [15].

Substituting (9) in (7) and neglecting members of the second order of smallness, we get [16].

$$\begin{aligned} & \frac{2\alpha}{g} u_0 \frac{du_0}{d\theta} + \frac{2\alpha}{g} \frac{1 - \cos \theta}{\theta - \sin \theta} u_0^2 + \frac{1}{2} \sin \alpha_1 + \left[\frac{2\alpha}{g} u_0 - \sin \alpha_1 \frac{L}{Q_k} \frac{r^2}{2} (\theta - \sin \theta) \right] \times \\ & \times \frac{du'}{d\theta} + \left[\frac{2\alpha}{g} \frac{du_0}{d\theta} - \frac{2\alpha}{g} \frac{1 - \cos \theta}{\theta - \sin \theta} 2u_0 + \sin \alpha_1 \frac{L}{Q_k} \frac{r^2}{2} (1 - \cos \theta) \right] u' = \\ & = \sin \alpha_1 \frac{L}{Q_k} \frac{r^2}{2} (\theta - \sin \theta) \frac{du_0}{d\theta} + \sin \alpha_1 \frac{L}{Q_k} \frac{r^2}{2} (1 - \cos \theta) u_0. \end{aligned} \quad (10)$$

entering the following notation: [11].

$$\begin{aligned} \varphi_1(\theta) &= \frac{2\alpha}{g} u_0 - \sin \alpha_1 \frac{L}{Q_k} \frac{r^2}{2} (\theta - \sin \theta), \\ \varphi_2(\theta) &= \frac{2\alpha}{g} \frac{du_0}{d\theta} - (1 - \cos \theta) \left[\frac{4\alpha u_0}{g(\theta - \sin \theta)} - \frac{L}{2Q_k} \sin \alpha_1 \right], \\ \varphi_3(\theta) &= \frac{Lr^2 \sin \alpha_1}{2Q_k} \left[(1 - \cos \theta) u_0 + (\theta - \sin \theta) \frac{du_0}{d\theta} \right], \end{aligned}$$

From (10) we have

$$\frac{du'}{d\theta} + \frac{\varphi_2(\theta)}{\varphi_1(\theta)} u' = \frac{\varphi_3(\theta)}{\varphi_1(\theta)} \quad (11)$$

The resulting equation is solved by a consistent approximation.

Find the function of the slope of the pipe and the diameter d . After some transformations from formula (18) we get [17].

$$\beta'' = 2\alpha Q_k^2 / gr^5,$$

Where we have for pipe diameter expression

$$d = 2(2\alpha Q_k^2 / g\beta'')^{1/5}.$$

The resulting formulas (18) and (19) for the speed of water movement coincide well with the results of experiments. The results of the calculations are shown in the table. [18].

Results of water flow calculations

D	L	θ_{kp}	β''	d	L	θ_{kp}	β''
0.95	250	2.525	1.937	1.50	750	2.150	0.644
	500	2.060	0.504		1000	1.934	0.304
	750	1.850	0.229	2.00	250	2.900	4.481
	1000	1.633	0.088		500	2.542	2.026
1.00	250	2.542	2.026	2.50	1000	2.308	1.054
	500	2.150	0.644		250	2.150	0.644
	750	1.845	0.203	500	2.95	5.263	
	1000	1.640	0.091	750	2.683	2.869	
1.165	250	2.606	2.461	3.00	1000	2.434	1.513
	500	2.255	0.898		250	2.266	0.930
	750	1.934	0.304	500	3.017	6.063	
	1000	1.845	0.215	750	2.700	3.009	
1.50	250	2.700	3.009	1000	2.542	2.026	
	500	2.384	1.315				

Thus, the calculations on the resulting formula for the velocity of the water movement in horizontal drains (19) are well coincided with the results of experimental studies [19].

The results of the research confirmed that the throughput capacity of the pipeline with the smallest pressure is achieved with the value of $H / D = 0.9$ the depth of water to the pipe diameter.

LITERATURE

1. Veksler A.V. The main equations of one-size channel weigonflowing flow // Reservitition and the fight against it. M.: Kolos, 1970. - 156 p.
2. Warnevo-Syankhensky T.G., Lttatidze V.G., Tavarkkaladze N.E. On the turbulent flow of two-phase water-air flow with variable flows along the path // News of TNISHEI. 1960. № 12 (46). Pp. 134 - 138.
3. Kiselev P.G. Movement of fluid with variable mass // Questions of hydraulic engineering. Sat MII works. 1955. No. 5. P. 43 - 55.
4. Abdullayev B. X., Xudayqulov S. I., Sattorov S. M. SIMULATION OF COLLECTOR WATER DISCHARGES INTO THE WATERCOURSE OF THE FERGHANA VALLEY //Scientific-technical journal. – 2020. – T. 24. – №. 3. – C. 36-41.

5. Abdullayev B. X., Xudayqulov S. I., Sattorov S. M. VARIABLE FLOW RATE FLOW ALONG A PATH IN A CLOSED INCLINED PIPELINE //Scientific-technical journal. – 2020. – Т. 24. – №. 4. – С. 23-28.
6. Erkinjonovich A. Z. et al. WATER CONSUMPTION CONTROL CALCULATION IN HYDRAULIC RAM DEVICE //E-Conference Globe. – 2021. – С. 119-122.
7. Madaliev M. E. U., Rakhmankulov S. A., Tursunaliev M. M. U. Comparison of Finite-Difference Schemes for the Burgers Problem //Middle European Scientific Bulletin. – 2021. – Т. 18. – С. 76-83.
8. Мадрахимов, М. М., & Абдулхаев, З. Э. (2019). Насос агрегатини ишга туширишда босимли сув узатгичлардаги ўтиш жараёнларини ҳисоблаш усуллари. Фарғона Политехника Институту Илмий–Техника Журнали, 23(3), 56-60.
9. Madaliev M. E. U. et al. Modeling of Deformation Processes and Flow of Highly Concentrated Suspensions in Cylindrical Pipelines //Middle European Scientific Bulletin. – 2021. – Т. 18. – С. 128-136.
10. Хамдамалиевич S. A., Rahmankulov S. A. INVESTIGATION OF HEAT TRANSFER PROCESSES OF SOLAR WATER, AIR CONTACT COLLECTOR //E-Conference Globe. – 2021. – С. 161-165.
11. Kholmurzaev, A. A., & Tokhirov, I. K. (2021). The active participation of students in the formation of the educational process is a key to efficiency. ACADEMICIA: An International Multidisciplinary Research Journal, 11(4), 435-439.
12. Абдукаримов, Б. А., & Тохиров, И. Х. (2019). Research of convective heat transfer in solar air heaters. Наука, техника и образование, (9 (62)).
13. Madaliev E. U. et al. Comparison of Turbulence Models for the Problem of an Asymmetric Two-Dimensional Plane Diffuser //Middle European Scientific Bulletin. – 2021. – Т. 18. – С. 119-127.
14. Abdulkhaev Z. E. et al. Increasing the efficiency of solar collectors installed in the building // "ONLINE-CONFERENCES" PLATFORM. – 2021. – С. 174-177.
15. Madaliev E. U. et al. Investigation of the Spalart-Allmares Turbulence Model for Calculating a Centrifugal Separator //Middle European Scientific Bulletin. – 2021. – Т. 18. – С. 137-147.
16. Madaliev M. E. U. et al. Investigation of the Influence of the Computational Grid for Turbulent Flow //Middle European Scientific Bulletin. – 2021. – Т. 18. – С. 111-118.
17. Kholmurzaev, A. A., & Tokhirov, I. K. (2021). The active participation of students in the formation of the educational process is a key to efficiency. ACADEMICIA: An International Multidisciplinary Research Journal, 11(4), 435-439.
18. Абдукаримов, Б. А., & Тохиров, И. Х. (2019). Research of convective heat transfer in solar air heaters. Наука, техника и образование, (9 (62)).]
19. Холмурзаев, А. А., Тохиров, И. Х. У., & Охунжонов, З. Н. (2019). Движение летучки хлопко-сырца в зоне от вершины колка до отражающего козырька. Проблемы современной науки и образования, (11-2 (144)).
20. Tokhirov, Islombek Khakimjon Ugli (2021). SELECTION OF THE MANUFACTURING PROCESS OF THE PART. Oriental renaissance: Innovative, educational, natural and social sciences, 1 (10), 698-704.

21. Абдукаримов, Б. А., Ё. С. Аббасов, and Н. У. Усмонова. "Исследование рабочих параметров солнечных воздухонагревателей способы повышения их эффективности." *Матрица научного познания* 2 (2019): 37-42.
22. Madraximov, M. M., Nurmuxammad, X., & Abdulkhaev, Z. E. (2021, November). Hydraulic Calculation Of Jet Pump Performance Improvement. In International Conference On Multidisciplinary Research And Innovative Technologies (Vol. 2, pp. 20-24).
23. Усмонова, Н. А., Негматуллоев, З. Т., Нишонов, Ф. Х., & Усмонов, А. А. (2019). Модели закрученных потоков в строительстве Каркидонского водохранилища. *Достижения науки и образования*, (12 (53)).
24. Рашидов, Ю. К., Исмоилов, М. М., Орзиматов, Ж. Т., Рашидов, К. Ю., & Каршиев, Ш. Ш. (2019). Повышение эффективности плоских солнечных коллекторов в системах теплоснабжения путём оптимизации их режимных параметров. In Экологическая, промышленная и энергетическая безопасность-2019 (pp. 1366-1371).
25. Рашидов, Ю. К., Орзиматов, Ж. Т., & Исмоилов, М. М. (2019). Воздушные солнечные коллекторы: перспективы применения в условиях Узбекистана. In Экологическая, промышленная и энергетическая безопасность-2019 (pp. 1388-1390).
26. Abdulkhaev, Zokhidjon, Mamadali Madraximov, Axmadullo Abdurazaqov, and Mardon Shoyev. "Heat Calculations of Water Cooling Tower." *Uzbekistan Journal of Engineering and Technology* (2021).
27. ABDULKHAEV, ZOKHIDJON ERKINJONOVICH. "Protection of Fergana City from Groundwater." *Euro Afro Studies International Journal* 6 (2021): 70-81.
28. Usarov, M., G. Mamatisaev, J. Yarashov, and E. Toshmatov. "Non-stationary oscillations of a box-like structure of a building." In *Journal of Physics: Conference Series*, vol. 1425, no. 1, p. 012003. IOP Publishing, 2019.
29. Arifjanov, A., Samiev, L., Yusupov, S., Khusanova, D., Abdulkhaev, Z., & Tadjiboyev, S. (2021). Groundwater Level Analyse In Urgench City With Using Modflow Modeling And Forecasting System. In E3S Web of Conferences (Vol. 263, p. 03010). EDP Sciences.
30. Usarov, M., G. Mamatisaev, E. Toshmatov, and J. Yarashov. "Forced vibrations of a box-like structure of a multi-storey building under dynamic effect." In *Journal of Physics: Conference Series*, vol. 1425, no. 1, p. 012004. IOP Publishing, 2019.
31. Mamadalievich, M. M., & Erkinjonovich, A. Z. Principles of Operation and Account of Hydraulic Taran. *JournalNX*, 1-4.
32. Abdugarimov, B. A., Sh R. O'tbosarov, and M. M. Tursunaliyev. "Increasing Performance Efficiency by Investigating the Surface of the Solar Air Heater Collector." *NM Safarov and A. Alinazarov. Use of environmentally friendly energy sources* (2014).
33. Malikov, Z. M., and M. E. Madaliev. "Numerical Simulation of Two-Phase Flow in a Centrifugal Separator." *Fluid Dynamics* 55, no. 8 (2020): 1012-1028.
34. Madaliev, Murodil Erkinjanovich. "Numerical research v t-92 turbulence model for axisymmetric jet flow." *Vestnik Yuzhno-Ural'skogo Gosudarstvennogo Universiteta. Seriya" Vychislitel'naya Matematika i Informatika"* 9, no. 4 (2020): 67-78.

35. Maqsudov, R. I., & qizi Abdukhaliyeva, S. B. (2021). Improving Support for the Process of the Thermal Convection Process by Installing. *Middle European Scientific Bulletin*, 18, 56-59.
36. ugli Mo'minov, O. A., Maqsudov, R. I., & qizi Abdukhaliyeva, S. B. (2021). Analysis of Convective Finns to Increase the Efficiency of Radiators used in Heating Systems. *Middle European Scientific Bulletin*, 18, 84-89.
37. Madraximov, M. M., Abdulxayev, Z. E., Yunusaliev, E. M., & Akramov, A. A. (2020). *Suyuqlik Va Gaz Mexanikasi Fanidan Masalalar To'plami. Oliy o'quv yurtlari talabalari uchun o'quv qo'llanma.-Farg'ona*, 285-291.
38. Усаров, М. К., and Г. И. Маматисаев. "Вынужденные колебания коробчатой конструкции панельных зданий при динамических воздействиях." *Проблемы механики* 2 (2010): 23-25.
39. Абдукаримов, Б. А., Акрамов, А. А. У., & Абдухалилова, Ш. Б. К. (2019). Исследование повышения коэффициента полезного действия солнечных воздухонагревателей. *Достижения науки и образования*, (2 (43)).